國立勤益科技大學九十八學年度研究所碩士班招生	筆試試題卷
所別:工業工程與管理研究所	組別:
科目: 作業研究	
准考證號碼: □□□□□□□(考生自填)	
考生注意事項:	
一、考試時間100分鐘。	
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試題一:〈30 分答錯倒扣1分〉	
1. True/False: Indicate by "O" = "true" or "X" = "false." (Each 3 points,	total 30 points, 答錯倒
→ 1 point)	
1. If an artificial variable is nonzero in the optimal solution of an LP	problem, then the
problem has no feasible solution.	
$\underline{\hspace{1cm}}$ 2. If a random variable T has an exponential distribution, then $P\{T>3\}$	$\{ \mid T \ge 1 \} = P\{T > 1 \}.$
3. If, when solving an LP by the simplex method, you make a mistak	te in choosing a pivot
row, the resulting tableau is infeasible.	•
4. A stochastic process is "memoryless."	
5. If a primal minimization LP problem has a cost which is unbound	ded below, then the dual
maximization problem has an objective which is unbounded above.	
6. One advantage of the revised simplex method is that it does not re	equire the use of
artificial variables.	
7. The goal programming model yields an efficient solution.	
8. The two-phase method solves for the dual variables in Phase I,	and then solves for the
primal variables in Phase II.	
9. The "Complementary Slackness" theorem says that if, for example	le, constraint #1 of the
primal problem is "slack", then constraint #1 of the dual problem is	"tight".
10. A "pivot" in the simplex method corresponds to a move from on	e corner point of the
feasible region to another.	

試題二:〈20分〉

2. Transportation Problem. (Each 2 points, total 20 points)

Consider the transportation problem with the tableau below:

destinations								
		1	2	3	supply			
(A)	1	<b>5</b> 9	5	4	5			
sources	2	7	6	12	18			
S	3	10	9	3	7			
der	nạn	<b>d</b> .10	5	15	· ·			

a. How many basic variables does this problem have?

**b.** An initial basic feasible solution is found using the "Northwest Corner Method"; complete the computation (excluding  $x_{11}$ )  $x_{21} = \underline{\hspace{1cm}}, x_{22} = \underline{\hspace{1cm}}, x_{23} = \underline{\hspace{1cm}}, x_{33} = \underline{\hspace{1cm}}$ 

c. If  $u_1$  (the dual variable for the first source) equals to 0, what is the value of

 $u_2$  (the dual variable for the second source)?

 $v_1$  (the dual variable for the first destination)?

 $v_2$  (the dual variable for the second destination)?

**d.** Will increasing  $x_{12}$  improve the objective function? \_\_\_\_\_ (yes/no).

e. Regardless of whether the answer to (d) is "yes" or "no," what will the value of  $x_{12}$  be if it is entered into the solution? \_\_\_\_\_

試題三:〈10 分〉

3. Queueing Problem. (10 point)

Consider a one-server queueing situation in which the arrival and service rates are given by

$$\lambda_n = 10 - n, n = 0, 1, 2, 3$$
  
 $\mu_n = 5 + 0.5n, n = 1, 2, 3, 4$ 

This situation is equivalent to reducing the arrival rate and increasing the service rate as the number in the system, n, increases.

a. Set up the transition diagram. (5 points)

**b.** Determine the balance equation for the system (you don't need to solve the equation). (5 points)

## 試題四:〈20 分〉

4. A furniture company is planning to produce 300 new type desks on three parallel machines. The following table gives the pertinent data of the situation. Formulate the problem as an ILP model. (20 points)

Machine	Setup cost	Production cost/unit	Capacity (units)
1	250	2	200
2	100	6	150
3	200	5	180

## 試題五:〈20 分〉

5. A store sells a special item whose daily demand can describe by the following probability density function. (20 points)

Daily demand, d	0	1	. 2
p(d)	.3	.4	.3

The store orders up to 3 units every 2 days if the stock level is less than 2, else do not order. Express the problem as a Markov chain, i.e. one-step transition matrix. (Hint: it must be defined the probability density function of 2-days demand.)

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